

# The use of circular surface aerators in wastewater treatment tanks

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**Abstract:** Aeration experiments were conducted in different sized baffled and unbaffled circular surface aeration tanks to study their relative performance on oxygen transfer process while aerating the same volume of water. Experiments were carried out with the objective of ascertaining the effect of baffle on oxygen transfer coefficient  $k$ . Simulation equations govern the oxygen transfer coefficient with the theoretical power per unit volume,  $X$  and actual power per unit volume,  $P_V$ . It has been found that, for any given  $X$ , circular tanks with baffle produce higher values of  $k$  than unbaffled circular tanks, but in terms of actual power consumption unbaffled tanks consume less power when compared to baffled circular tanks to achieve the same value of  $k$ . It has been found that in terms of energy consumption,  $\varepsilon$ , baffled tanks consume more energy than unbaffled tanks at any value of  $X$ . This suggests that the unbaffled circular tank gives a better performance as far as energy consumption is concerned and hence better economy. An example illustrating the energy conservation to aerate the same volume of water in both types of aerators is given.

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**Keywords:** surface aerators; circular surface aerator; oxygen transfer coefficient; power per unit volume parameter

## NOTATION

$A$  Cross-sectional area of an aeration tank ( $L^2$ )  
 $B$  Width of the baffle (L)  
 $b$  Width of the blade (L)  
 $C_0$  Initial concentration of dissolved oxygen at time  $t = 0$  (ppm)  
 $C_s$  Saturation value of dissolved oxygen at test conditions (ppm)  
 $C_t$  Concentration of dissolved oxygen at any time  $t$  (ppm)  
 $d$  Diameter of the tank (L)  
 $D$  Diameter of the rotor (L)  
 $F_r$   $N^2 D/g$ , Froude number  
 $g$   $9.81 \text{ m s}^{-2}$ , acceleration due to gravity ( $L/T^2$ )  
 $H$  Depth of water in an aeration tank (L)  
 $h$  Distance between the top of the blades and the horizontal floor of the tank (L)  
 $h_f$  Head loss due to rotational movement of the water in an aeration tank (L)  
 $I_1, I_2$  Input current at no load and under loading conditions, respectively  
 $k$   $K_L a_{20} (v/g^2)^{1/3}$ , non-dimensional oxygen transfer coefficient  
 $K_{L,T}$  Overall oxygen transfer coefficient at room temperature  $T^\circ\text{C}$  of water  
 $K_{L,20}$  Overall oxygen transfer coefficient at  $20^\circ\text{C}$   
 $l$  Length of the blade (L)  
 $N$  Rotational speed of the rotor with blades ( $1/T$ )  
 $n$  Number of rotor blades (6)  
 $n_b$  Number of baffles (5)  
 $P$  Power available to the rotor shaft ( $ML^2/T^2$ )  
 $P/V$  Power per unit volume ( $ML/T^2$ )

$P_V$   $P/(V\gamma(gv)^{1/3})$ , non-dimensional power per unit volume  
 $R_e$   $ND^2/\nu$ , Reynolds number  
 $V$  Volume of water in an aeration tank ( $m^3$ )  
 $R_a$  Armature resistance of DC motor  
 $V_1, V_2$  Input voltage at no load and under loading conditions, respectively  
 $X$   $N^3 D^2/(g^{4/3} v^{1/3}) = F^{4/3} R^{1/3}$ , theoretical power per unit volume parameter  
 $\theta$  1.024, constant for pure water used in Eqn (2)  
 $\nu$  Kinematic viscosity of water ( $M^2/T$ )  
 $\gamma$  Unit weight of water  
 $\rho_a$  Mass density of air ( $M/L^3$ )  
 $\rho_w$  Mass density of water ( $M/L^3$ )  
 $\varepsilon$  Energy consumption per unit volume

## INTRODUCTION

Aeration is an essential part of almost all wastewater treatment systems and is usually the major energy-consuming unit process. The aeration process is also used to remove volatile substances and gases present in water and wastewater and to improve the dissolved oxygen (DO) content in the water and wastewater. Various aeration methods are used in the treatment of wastewater, namely diffused-air aerators, surface aerators and Venturi aeration systems. Among these, surface aerators are practically synonymous with the aeration systems employed in wastewater treatment systems. A typical surface aerator used in this study is shown in Fig. 1.

The main component of these surface aerators is an impeller or rotor. The rotor is rotated to create

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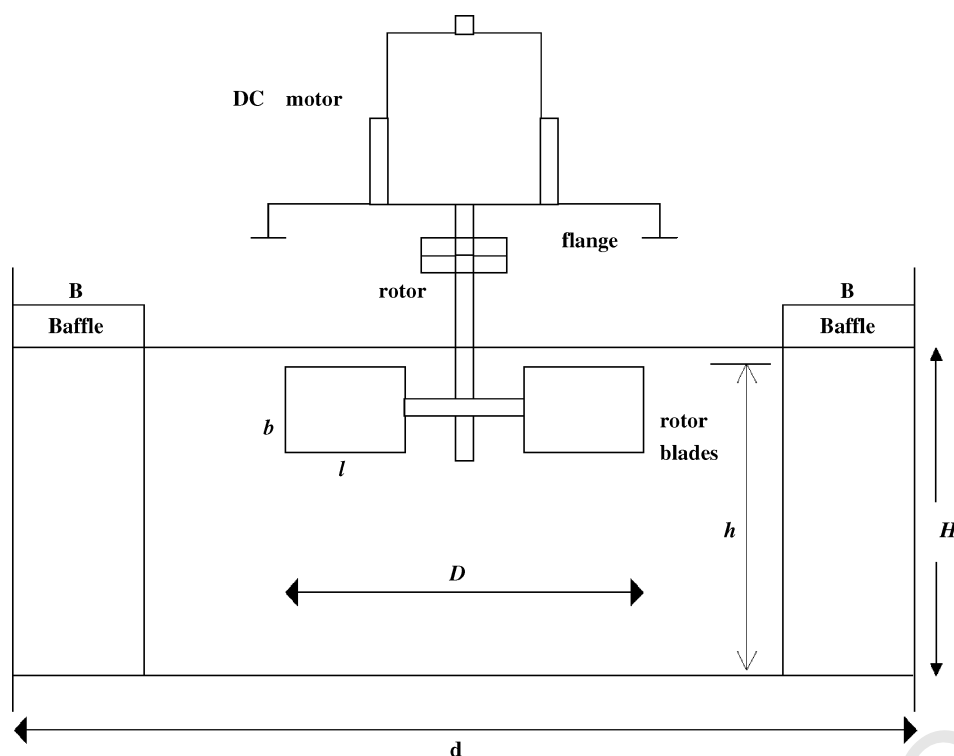


Figure 1. Schematic diagram of a surface aeration tank.

turbulence in the water body so that aeration takes place through the interface of atmospheric oxygen and the water surface. The rate of oxygen transfer depends on a number of factors such as intensity of turbulence, which in turn depends on the speed of rotation, size, shape and number of blades, diameter and immersion depth of the rotor, and size and shape of aeration tank, as well as on the physical, chemical and biological characteristics of water.<sup>1</sup> Many impellers, e.g. flat blade, pitched blade, vane disk, paddle and propeller, can cause surface aeration. Among these, the Rushton disk turbine is one of the most commonly used for surface aeration, with its lower critical impeller speed for onset of gas entrainment, higher volumetric mass transfer coefficient, lower power consumption and good gas-liquid mixing.<sup>2,3</sup> In the present study a six-flat-blade Rushton turbine has been used.

Whichever turbine is used, a significant amount of energy will be required to effect the transfer of oxygen. As reported by Hwang and Stenstrom,<sup>4</sup> the aeration process consumes as much as 60–80% of total power requirements in wastewater treatment plants. This shows how important the proper design of such systems is and implies that only energy-efficient designs should be used.

The performance of surface aeration systems is rated in terms of their oxygen transfer rate; hence the choice of a particular surface aeration system depends on its performance and efficiency of oxygen transfer rates. The spiraling costs of electricity and other energy forms are forcing economization regarding aeration systems, as the economics of an aeration system, particularly operating costs, are contributing much more heavily to system selection. Thus it can be

said that sometimes mixing power requirements, not the oxygen transfer efficiency, controls the design of a wastewater treatment facility.<sup>5,6</sup> It is therefore essential that the design and operation of the aeration process are as near optimal as possible or practicable, particularly in terms of achieving energy efficiency.

Most wastewater treatment facilities use a baffled tank, as this provides a higher oxygen transfer rate in quick time, but power consumption of the rotor is increased by the baffles present in the tank.<sup>7</sup> Similarly, the unbaffled tank also has limitations, such as the vortex present in the unbaffled tank resulting in poor axial mixing. The present work compares and analyzes the suitability of using baffled or unbaffled surface aerators in wastewater treatment systems.

## THEORY AND BACKGROUND INFORMATION

### The oxygen transfer coefficient

According to the two-film theory,<sup>8</sup> mass transfer through the gas-liquid interface may be expressed by the following equation:

$$K_L a_T = [\ln(C_s - C_0) - \ln(C_s - C_t)]/t \quad (1)$$

where  $C_s$ ,  $C_0$  and  $C_t$  are concentrations usually expressed in parts per million (ppm). The value of  $K_L a_T$  can be obtained as the slope of the linear plot between  $\ln(C_s - C_t)$  and the corresponding time  $t$ . The value of  $K_L a_T$  thus obtained can be corrected for a temperature other than the standard temperature of 20 °C as  $K_L a_{20}$ , using the van't Hoff Arrhenius equation:<sup>9</sup>

$$K_L a_T = K_L a_{20} \theta^{(T-20)} \quad (2)$$

1 where  $\theta$  is the temperature coefficient 1.024 for pure  
2 water.

### 4 Process dynamics

5 The variables which can influence the oxygen transfer  
6 coefficient at 20 °C (i.e.,  $K_L a_{20}$ ) for a given shape of  
7 aeration tank are given by<sup>1,10</sup>

$$9 \quad K_L a_{20} = f(A, H, D, l, b, h, n, n_b, N, g, \rho_a, \rho_w, \nu) \quad (3)$$

11 Equation (3) may be expressed in terms of non-  
12 dimensional parameters as follows:

$$14 \quad k = f(\sqrt{A}/D, H/D, l/D, b/D, h/D, \\ 15 \quad n, n_b, \rho_a/\rho_w, R_e, F_r) \quad (4)$$

17 where,  $k = K_L a_{20} (\nu/g^2)^{1/3}$  is the non-dimensional  
18 oxygen transfer coefficient,  $R_e = ND^2/\nu$  is called  
19 Reynolds number and  $F_r = N^2 D/g$  is the Froude  
20 number. It can be expressed also as<sup>1</sup>

$$22 \quad k = f(\sqrt{A}/D, H/D, l/D, b/D, h/D, n, n_b, \rho_a/\rho_w, X) \\ 23 \quad (5)$$

24 where  $X = \Phi \bullet (F_r, R_e) = F_r^{4/3} R_e^{1/3}$  is the parameter  
25 governing the theoretical power per unit volume.

26 The intensity of turbulence and wave action on the  
27 water are the major sources normally associated with  
28 surface aeration. Turbulence and viscous effects are  
29 generally described by the Reynolds number ( $R_e$ ), and  
30 the surface wave action is described by the Froude  
31 number ( $F_r$ ). Hence both  $R_e$  and  $F_r$  are important  
32 as far as the surface aeration is concerned. It may be  
33 noted here that both  $F_r$  and  $R_e$  are implicitly expressed  
34 in  $X$  as  $X = F_r^{4/3} R_e^{1/3}$ . The number of blades  $n$  in  
35 the present experiments is constant and the number of  
36 baffles in a baffled circular tank  $n_b$  (= 5) is constant.  
37 Also, the parameter  $\rho_a/\rho_w$  is considered invariant.  
38 Thus, these parameters are omitted in the analysis.  
39 Therefore, the functional relationship of Eqn (5) can  
40 now be expressed as

$$42 \quad k = f(\sqrt{A}/D, H/D, l/D, b/D, h/D, X) \quad (6)$$

### 45 Geometric similarity

46 Equation (6) suggests that, for any given shape of  
47 aeration tank, if geometric similarity of the first five  
48 variables on the right-hand side is maintained, then  $k$   
49 depends only on  $X$ .

50 Conditions of geometric similarity for unbaffled  
51 circular tanks have been maintained as given by<sup>11</sup>

$$52 \quad \sqrt{A}/D = 2.88; H/D = 1.0; l/D = 0.3; \\ 53 \quad b/D = 0.24; h/H = 0.94; n = 6 \quad (7)$$

56 whereas for baffled circular tanks the same geometric  
57 similarity is maintained along with  $n_b = 5$  in which  
58 baffles are placed uniformly along the perimeter of the  
59 circular tank and its dimensions are  $B/D = 0.5$ . It has  
60 been found that the geometrical similarity condition

mentioned in Eqn (7) is optimal in producing the  
aeration rate.<sup>11,12</sup>

### Dynamic similarity

When the geometric similarity conditions are main-  
tained, the functional relationship represented by  
Eqn (6) is reduced to a function of dynamic similarity<sup>1</sup>  
for any shape of aeration tank. However the functional  
relationship may be different for different shapes.

$$k = f(X) \quad (8)$$

where the parameter  $X$  governs the theoretical power  
per unit volume and can be defined from hydraulics  
principles<sup>1</sup> based on the concept that the power is  
related to the product of flow discharge and head  
loss. Therefore one may expect a correlation between  
the effective (actual or measured) power per unit  
volume ( $P/V$ ) and  $X$ . Furthermore, the oxygen  
transfer coefficient ( $k$ ) is a function of  $P/V$  because  
 $k = f(X)$  and  $P/V$  and  $X$  are directly related. In this  
functional relationship  $P/V$  can be expressed in a  
non-dimensional form as  $P_V$ . Hence the relationship  
between  $k$  and  $P/V$  can be expressed as

$$k = f(P_V) \quad (9)$$

where  $P_V$  is the non-dimensional form of  $P/V =$   
 $P/(V\gamma(g\nu)^{1/3})$ .

## EXPERIMENTS

Experiments were carried out to ascertain the effect of  
baffles on oxygen transfer coefficient  $k$  under a wide  
range of dynamic conditions ( $X$  and  $P_V$ ).

### Experimental set-up

Baffled and unbaffled circular tanks (Fig. 1) of two  
cross-sectional areas 1 m<sup>2</sup> and 0.5184 m<sup>2</sup> were each  
tested under laboratory conditions. The significance  
of these dimensions is that each linear dimension, such  
as rotor diameter  $D$ , blade sizes  $b$  and  $l$ , water depth  
 $H$ , and the distance between the top of the blade to  
the bottom of the tank  $h$ , is kept the same as per the  
geometric similarity given in Eqn (7).

### Determination of $K_L a_{20}$

First the water in the tank was deoxygenated by adding  
the required amounts of cobaltous chloride ( $\text{CoCl}_2$ )  
and sodium sulfite ( $\text{Na}_2\text{SO}_3$ ), which were thoroughly  
mixed in water. The deoxygenated water was aerated  
by rotating the rotor at the desired speed. When the  
DO concentration began to rise, readings were taken  
at regular intervals until DO increased up to about  
80% saturation.<sup>13</sup>

Using the known values of DO measurements in  
terms of  $C_t$  at regular intervals of time  $t$  (including  
the known value of  $C_0$  at  $t = 0$ ) a line was fitted,  
by linear regression analysis of Eqn (1), between the  
logarithm of  $(C_s - C_t)$  and  $t$ , by assuming different but

1 appropriate values of  $C_s$  (which gives the minimum  
2 'standard error of estimate') and thus the values  
3 of  $K_L a_T$  and  $C_s$  are obtained simultaneously. The  
4 values of  $K_L a_{20}$  were computed by using Eqn (2) with  
5  $\theta = 1.024$  as per the standards for pure water.<sup>9</sup>

### 7 Determination of actual power available at the 8 shaft

9 The power available at the shaft is calculated as  
10 follows.<sup>14</sup> Let  $P_1$  and  $P_2$  be the power requirements  
11 under no load and loading conditions at the same  
12 speed of rotation. Then the effective power available  
13 to the shaft,  $P = P_2 - P_1 - \text{Losses}$ , is expressed as

$$15 \quad P = I_2 V_2 - I_1 V_1 - R_a(I_2^2 - I_1^2) \quad (10)$$

16 where  $I_1$  and  $I_2$  are currents measured in amperes  
17 under no load and loading conditions, respectively;  
18 similarly, the respective voltages in volts are  $V_1$  and  
19  $V_2$ . Armature resistance  $R_a$  is measured in ohms.

### 23 SIMULATION OF OXYGEN TRANSFER 24 COEFFICIENT $K$ WITH THEORETICAL POWER 25 PER UNIT VOLUME $X$

26 Oxygen transfer coefficient was investigated as a  
27 function of dynamic variable  $X$  to verify Eqn (8).  
28 The experimental data expressed in terms of  $X =$   
29  $N^3 D^2 / g^{4/3} \nu^{1/3}$  and  $k = K_L a_{20} (\nu / g^2)^{1/3}$  are plotted in  
30 Fig. 2.

31 It is interesting to note that the each set of data  
32 points pertaining to the given shape of the tank fall  
33 very closely on a unique curve suggesting the validity  
34 of Eqn (8); however, the functional relationships are  
35 different for baffled and unbaffled tanks. A simulation  
36 equation for unbaffled circular tanks between  $k$  and  $X$   
37 has been established<sup>10</sup> and the same is plotted in Fig. 2  
38 along with the data from the present experiments to

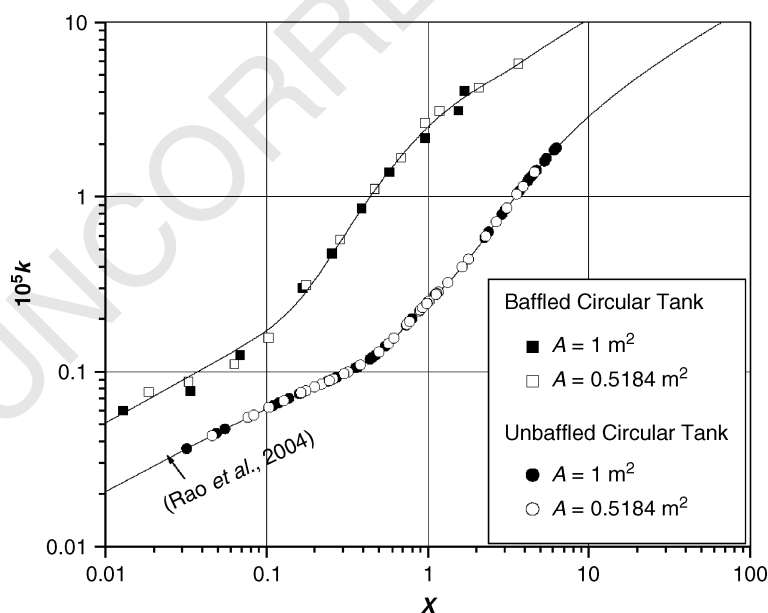
39 verify the validity of such a simulation equation. In  
40 Fig. 2 the following equations fit quite well for all  
41 data points belonging to circular tanks; for unbaffled  
42 circular tanks:<sup>10</sup>

$$43 \quad k = \{10.45 \exp[-4.5/X] + 2.45 - 0.7 \exp[-5(X - 0.35)^2]\} 10^{-6} \sqrt{X} \quad (11)$$

44 and for baffled circular tanks:

$$45 \quad k = \{3.26 \exp[-0.561/X] + 0.211 - 0.426 \exp[-0.472(X - 0.878)^2]\} 10^{-6} \sqrt{X} \quad (12)$$

46 It is clear from Fig. 2 that at any given  $X$  the baffled  
47 tank is providing more oxygen transfer coefficient  
48 than the unbaffled tank. In the unbaffled tank, the  
49 liquid tends to move mainly along circular trajectories,  
50 resulting in small relative velocities between impeller  
51 and fluid and weak radial flows directed towards the  
52 tank walls. This results in a poor axial mixing and in the  
53 formation of a pronounced vortex on the free surface  
54 of the liquid, whose depth depends on the rotational  
55 speed of the rotor. Installation of the baffles effectively  
56 destroys the circular liquid patterns, inhibiting vortex  
57 formation so that the liquid surface becomes almost  
58 flat at moderate speeds. Moreover, axial flows become  
59 much stronger, leading to an improved mixing rate  
60 with the rotor speed. Such an outcome may also be  
61 attributed to the level of turbulence intensity in a  
62 given type of tank for a given speed of rotation. If it  
63 is accepted that turbulence intensity is responsible for  
64 aeration rate then it is greater in circular tanks with  
65 baffles and less in circular tanks without baffles, when  
66 both tanks contain the same volume of water and  
67 are run at the same speed of rotation. This could be a  
68 reason to install baffles in circular tanks to enhance the  
69 aeration rate. Experiments conducted in circular tanks



61 **Figure 2.** Simulation of oxygen transfer rate with theoretical power per unit volume ( $X$ ).

1 with baffles have supported this basic claim (Fig. 2),  
2 which produce relatively higher rates of aeration.

### 5 SIMULATION OF OXYGEN TRANSFER 6 COEFFICIENT $k$ WITH ACTUAL POWER PER 7 UNIT VOLUME $P_V$

8 The rates of oxygen transfer can be correlated with  
9 effective power consumption per unit volume. Figure 3  
10 shows the behavior of oxygen transfer coefficient with  
11 input power per unit volume of circular tanks. It is  
12 interesting to observe that data of an individual shape  
13 of aerator falls on a unique curve, suggesting that the  
14 oxygen transfer rates can be simulated with the actual  
15 power per unit volume; the associated relationships  
16 are presented in Eqns (12) and (13); for unbaffled  
17 circular tanks:

$$19 \quad 10^5 k = 7.38 P_V \exp(-0.189/P_V) + 0.33(P_V)^{0.5} \quad (13)$$

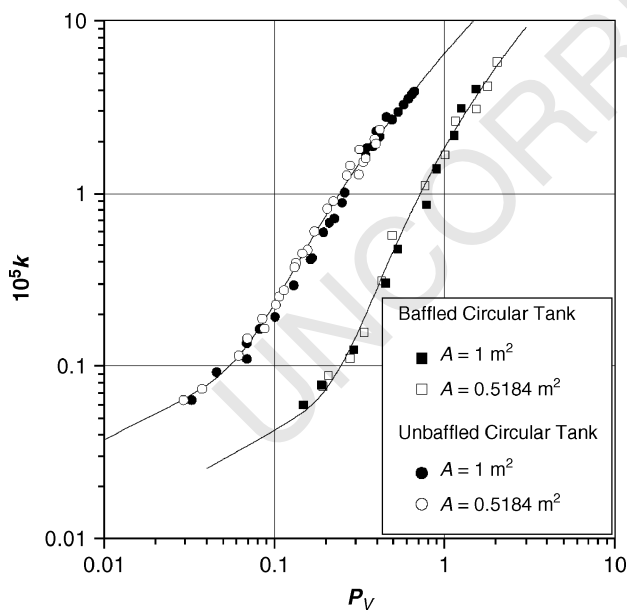
21 and for baffled circular tanks:

$$23 \quad 10^5 k = 3.95 P_V \exp(-0.85/P_V) + 0.15(P_V)^{0.5} \quad (14)$$

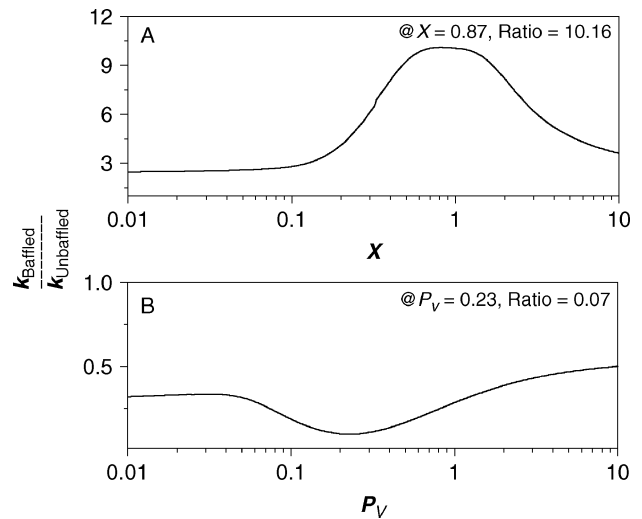
25 From Fig. 3 it is evident that for a given effective power  
26 per unit volume unbaffled circular tanks produce  
27 a higher oxygen transfer coefficient ( $k$ ) than baffled  
28 circular tanks.

### 31 RELATIVE PERFORMANCE OF SURFACE 32 AERATION TANKS

33 The relative performance of surface aerators on  
34 oxygen transfer rate is shown in Fig. 4. As shown  
35 in Fig. 4(A), the baffled tank produces more oxygen  
36 transfer coefficient than the unbaffled tank at any  $X$ . It  
37 reaches a maximum value at  $X = 0.87$ , such that the



59 **Figure 3.** Simulation of oxygen transfer rate with actual power per  
60 unit volume ( $P_V$ ).



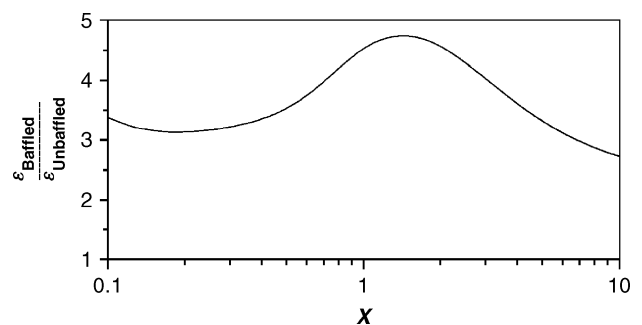
78 **Figure 4.** Relative performance of aeration tanks on oxygen transfer  
79 rates.

80 oxygen transfer coefficient of the baffled tank is about  
81 10 times more than the unbaffled tank.

82 This trend is reversed in the case of actual and  
83 effective power per unit volume, as shown in Fig. 4(B),  
84 in which unbaffled tank is always producing more  
85 oxygen transfer coefficient than the baffled tank.

### 88 SUITABILITY OF USING UNBAFFLED CIRCULAR 89 SURFACE AERATION TANKS

90 Energy requirements of surface aerators are of  
91 paramount importance when choosing and designing  
92 particular types of aerator to meet demand. The  
93 energy can be computed as the product of power  
94 and time required to achieve a desired level of  
95 DO concentration. As  $K_L a_{20}$  has inverse time units,  
96 one may characteristically express the energy by a  
97 parameter  $P/K_L a_{20}$ . As  $k$  is a non-dimensional form  
98 of  $K_L a_{20}$  and  $P_V$  is the non-dimensional form of  $P/V$ ,  
99 the energy (parameter) per unit volume ( $\varepsilon$ ) may be  
100 defined as  $\varepsilon = P_V/k$ . To obtain a comparative energy  
101 requirement for achieving the same oxygen transfer  
102 rates, with the help of simulation equations with  
103 theoretical power per unit volume ( $X$ ) and simulation  
104 equations with effective (actual) power per unit volume  
105 ( $P_V$ ), the ratio of the energy parameter  $\varepsilon$  with  $X$   
106 has been plotted for all the surface aerators in Fig. 5.



119 **Figure 5.** Comparison of energy characteristics of surface aeration  
120 tanks.

**Table 1.** Geometrical parameters of different sized tanks (based on geometric similarity:  $\sqrt{A}/D = 2.88$ ,  $H/D = 1.0$ ,  $l/D = 0.3$ ,  $b/D = 0.24$  and  $h/H = 0.94$ )  
For baffled tanks no. of baffles  $n_b = 5$

Tank volume (m <sup>3</sup> )	D = rotor diameter (mm)	H = water height (mm)	h = rotor submergence depth (mm)	b = blade width (mm)	l = blade length (mm)
0.25	311	311	292	74.64	93.3
0.5	392	392	368	94.08	117.6
1	494	494	464	118.56	148.2

**Table 2.** Energy requirements to aerate 1 m<sup>3</sup> of water by employing different sized tanks at constant input power (P)

Volume of the tank (m <sup>3</sup> )	Number of tanks	Total energy consumed at different effective input power (W h)			
		Baffled tanks		Unbaffled tanks	
		@ 50 (W)	@ 200 (W)	@ 50 (W)	@ 200 (W)
0.25	4	11.57	6.33	11.01	2.84
0.5	2	23.27	7.77	14.89	2.95
1	1	48.96	11.55	20.01	3.18

It is clear from Fig. 5 that at any given  $X$  the baffled tank is consuming more energy than the unbaffled circular surface aeration tank. The main component of total operation costs is constituted by the energy dissipated by the system of aeration.<sup>15</sup> Therefore, based on the fact depicted in Fig. 5, it can be said that unbaffled circular tanks are more economical as they consume less energy than baffled circular tanks.

### DESIGN EXAMPLE

**Problem:** Analyze the energy requirements to aerate a volume of water,  $V = 1 \text{ m}^3$ , by a single tank and a number of smaller sized tanks of equal volume ( $V_s$ ), when each tank is subjected to a constant installed input power ( $P$ ) to the shaft in both types of circular (baffled and unbaffled) tank. Thus, the number of smaller tanks needed to aerate 1 m<sup>3</sup> of water is equal to  $V/V_s$  to aerate the 1 m<sup>3</sup> volume of water. The rotor is run until DO concentration,  $C_t$ , attains 80% of the saturation value. The initial DO concentration  $C_0 = 0$  at  $t = 0$  and water temperature are assumed constant and equal to 25 °C and hence  $\nu = 0.88 \times 10^{-6}$ .

**Solution:** Three different sized tanks of volume  $V_s = 0.25 \text{ m}^3$ ,  $0.5 \text{ m}^3$  and  $1 \text{ m}^3$  are used to analyze their energy consumption in aerating 1 m<sup>3</sup> of water at constant input power  $P$ , such that the number of tanks of each size is respectively 4, 2 and 1.

Geometrical parameters can be obtained by the geometric similarity conditions ( $\sqrt{A}/D = 2.88$ ,  $H/D = 1.0$ ,  $l/D = 0.3$ ,  $b/D = 0.24$  and  $h/H = 0.94$ , and  $n_b = 5$  for baffled tanks) adopted in the present work for a typical surface aerator shown in Fig. 1. Geometric dimensions of all the tanks are given in Table 1.

The problem is analyzed for two power values of  $P = 50$  and 200 W. With the help of simulation

Eqns (12) and (13), as the volume of water and power are known, actual values of  $K_{L,aT}$  have been calculated and from there energy consumed by aerators has been calculated as power supplied multiplied by the total volume of water and time. Results are tabulated in Table 2.

It is clear from the calculation shown in Table 2 that baffled tanks are taking more energy than unbaffled tanks. Also from the calculation shown in Table 2, one interesting conjecture can be made that smaller tanks are consuming less energy; for example, one tank of 1 m<sup>3</sup> volume of water consumes an energy of 48.96 W h, whereas four tanks of 0.25 m<sup>3</sup> each, to aerate the same volume of water, consume a total energy equal to 11.57 W h; again one can think of time saving also by employing smaller tanks. Thus smaller tanks are more energy efficient in both types of circular tank.

### CONCLUSIONS

This paper deals with the performance of baffled and unbaffled circular tanks with regard to aeration rates and their suitability for application in wastewater treatment plants.

Simulation equations governing the oxygen transfer coefficient, theoretical power per unit volume and actual power per unit volume have been developed for designing circular surface aeration systems.

The performance of the baffled tank is better at any value of  $X$  but, comparing actual power consumption, the unbaffled circular tank takes less power than the baffled circular tank. This means that for quick aeration it is advantageous to use a baffled tank.

Unbaffled circular tanks are more energy efficient than baffled circular tanks.

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