

ESTIMATION OF VOLTAGES AND CURRENTS DUE TO LIGHTNING STROKES TO TRANSMISSION LINES

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Abstract

This paper presents an improved equivalent circuit representation for the lightning stroke to estimate the magnitudes and waveshapes of currents and voltages through transmission system components due to lightning strokes. Results indicate that arrester currents can go as high as 130kA with a front time of the order of 15us, while the arrester potentials are substantially rectangular lasting anywhere upto 60 us. Transformer potentials are initially oscillatory exceeding the BIL. This could be dangerous. Thus, this work was successful in improving the equivalent circuit representation of the lightning stroke and highlighted interesting areas for further research.

1) Introduction

Modern life in all aspects is dependant on Electric Power, requiring continuity of power supply even under highly adverse circumstances. Several studies by IEE, IEEE & CIGRE in UK, USA, Canada and Europe have identified lightning to be the single largest cause of outages on EHV systems contributing to nearly 50% of the outages [1,2,3].

It is quite clear from a study of the literature that there has been only limited efforts towards analytically estimating the voltages and currents through transmission system components due to lightning strokes [4-10]. Such studies, invariably represent thundercloud as a charged capacitor [9] and stroke channel as a lossless transmission line or an inductance. The object struck is sometimes represented as a lumped resistance [4,7,9,10] and sometimes as a short transmission line [5,6,8,9]. Tower footing is represented by a lumped fixed resistor. Thus, it is believed that there is considerable scope for improving the representation, to estimate the voltages and currents

Presently the current source model due to Diesendorf [10] is very extensively used to estimate the lightning performance of transmission systems. This model has the merit of being simple and yields highly acceptable results, though it requires an assumption of the magnitude and waveshape of source current.

Perhaps, for the first time Little [11] represented the stroke channel as a lossy transmission line. Here, a constant lumped resistance is used to represent the loss component. A ladder LCR network is used to represent the stroke channel, which is terminated in a fixed resistance representing the ground resistance.

Dutta and Nagabhushana [12] were perhaps the first to consider the nonlinearity of the stroke channel resistance. Kishore and Nagabhushana [13-18], later improved this representation using the experimentally determined formulation for the resistance behaviour of impulse arcs [13,16,18].

Recently, Mattos and Christopolous [19] proposed a model similar to that proposed by Little [11] by including nonlinear arc resistance behaviour based on Braginskii's formulation [20].

This paper presents the computed results using the improved representation for the stroke to phase conductor.

2) Equivalent Circuit Representatio

The improved representation the equivalent circuit of t lightning stroke is discussed detail in earlier papers [13-15, 17-18]

A capacitor charged to clou potential represents the thunde cloud. A lossy transmission line represents the stroke channel. The lossy nature is incorporated by lumping the total arc resistance R_s as $R/4$ at the begining & end of the line. and as $R/2$ at the middle of the

line. The arc resistance R_s itself, being a nonlinear function of stroke current I and time t [13,16,18] based on the experimental formulation :

$$R_s = A + B e^{-t/\tau} \dots (1)$$

where R_s = Resistance of the arc at any instant t in Ω/m

$$A = 0.3 + 2.84 e^{-I/8} \dots (2)$$

$$B = 4.0 + 28.0 e^{-I/8.2} \dots (3)$$

$$\tau = 3.0 + 6.0 e^{-I/7.5} \dots (4)$$

t = time in μs and

I_p = crest stroke current magnitude in kA.

Fig 1 shows the equivalent circuit diagram. Target object considered is Phase conductor and is represented by its surge impedance and travel time. Gapless metal oxide arresters have been considered and they are represented as a lumped nonlinear resistance whose voltage-current characteristics are expressed by a three-slope relationship, each slope of the form

$$v = k i^{\beta} \dots (6)$$

where v = instantaneous arrester potential in kV
 i = instantaneous arrester current in A

k & β are constants (different for the three slopes) based on the manufacturer's data sheets.

A power transformer, when unloaded is represented by its stray capacitance and when on load by the leakage reactance in parallel with the stray capacitance.

Utilizing the above representation strokes to phase conductors were computed using Dommel's method [21].

3) Results and Discussions :

This study focuses on the influence of surge arresters and transformers (located in the station) on the magnitude and waveshapes of voltages and currents. Mostly, lines terminate in power transformers (in a station), which would mostly be in a loaded condition but could, on rare occasions, be in unloaded condition also. Therefore, both cases have been studied. Though EHV transformers are almost always protected by surge arresters, computations have also been made for lines terminated in arresters

only. There are two further of cases interest:

- 1) Strokes to the line significantly away from the station - distant strokes
- 2) Strokes to the line very close to the station - closeby strokes

In the former, the arrester current is somewhat limited by the line surge impedance whereas in the latter, there is little influence of the line impedance. The above two cases have been studied by considering

- 1) Strokes occcuring 12 km away from the station to simulate distant strokes and
- 2) Strokes just 30 m away from the arresters to simulate closeby strokes.

In all these studies, lines are assumed to extend to infinity from the point of strike away from the station.

With these considerations the computations have been made for a 400 kV system on a single phase basis, neglecting the interphase couplings. As a result the computed voltages are conservative.

Fig 2 shows the computed results for a distant stroke to a phase conductor terminated in a surge arrester only for the case of cloud potential $V_c = 100$ MV and cloud capacitance $C_c = 0.2 \mu F$. The figure shows the behaviour of line voltage V_L at the point of strike, arrester current I_{SA} and arrester potential V_{SA} as a function of time. V_L reaches a peak value of 18.2 MV in 15 μs . I_{SA} reaches a peak value of 96 kA in 15 μs . V_{SA} is substantially rectangular with a maximum value of 1.02 MV. This value of V_{SA} at these current levels is considered realistic based on the manufacturer's catalogues.

The results for an identical case for a stroke closeby to the station (surge arrester) are shown in Fig. 3. In this case I_{SA} is oscillatory with a first peak of 130 kA at 15 μs , falling to 50% value in 30 μs . V_{SA} is substantially rectangular at about 1.1 MV. V_L reaches a peak of 1.8 MV in 8 μs and remains substantially constant around 1.1 MV. However, there are

occasional oscillations lasting for a microsecond with a peak to peak excursion of 3 MV.

In the event of a direct stroke to a phase conductor, there is a high probability of flashover of the line insulation and is of considerable practical significance. Therefore this aspect has also been considered. Line flashover characteristics are based on the curves due to Anderson

[22]. For the case of $V = 100$ MV and

$C = 0.2$ μ F the results considering

line flashover are shown in fig 4. Here, I reaches a peak value of 98

KA in about 14 μ s and is oscillatory in nature. V is flat with a maximum

value of 1.1 MV. The line voltage at the point of strike reaches a peak value of 3.9 MV in about 1 μ s and the insulator string at the tower flashes at about 2.3 MV in about 5.4 μ s. Subsequent to flashover, the voltage (at the location of flashover) does not go down to zero as may perhaps be expected but reduces to about 25 % of initial voltage.

Results for the case of $V = 100$ MV and $C = 0.2$ μ F for a stroke to

phase conductor terminated in an unloaded transformer are shown in Fig 5. The distance between the arrester and transformer is 3m. The waveshapes of the line voltage V , arrester

current I and arrester potential V are same as shown in fig 2 for the case of lines terminated in surge arresters only. The transformer voltage V is initially oscillatory

settling down to arrester voltage in about 4 μ s. The initial oscillations are in the range of 0.4 MV to 1.6 MV lasting for 4 μ s with a period of 0.5 μ s. Thus initial oscillation exceeds the BIL- 1.05 to 1.42 MV. On increasing the separation distance the period and duration of initial oscillation increase without any change in the range of peak values.

The results for an identical condition considering a loaded transformer show that waveshapes and magnitudes are very close to the unloaded case.

Thus it is seen that arrester currents can go as high as 130 kA with a front time of 15 μ s. It may be mentioned that the high current impulse tests on surge arresters specify a waveshapes of 4×10 μ s. [23,24,25]. The arrester potentials are substantially rectangular for

durations upto 60-80 μ s, whereas standard lightning impulse voltages have 1.2/50 μ s [23,24]. Behaviour of transformer insulation to such rectangular pulses is not known and it would be interesting to study this aspect. Transformer potentials are initially oscillatory exceeding BIL. This could be dangerous. Occurance of such oscillations in the field needs to be verified.

4) Conclusion:

- a) This work has been successful in improving the equivalent circuit representation of the lightning stroke
- b) Computed arrester currents and potentials are significantly different from those prescribed in the current international standards. In view of this, it may be necessary to have a relook at some parameters used in high voltage testing.
- c) There is little field data on arrester currents to make meaningful comparison. Hence it would be useful to obtain such field data.
- d) Transformer potentials could be initially oscillatory, the levels exceeding the BIL. This is dangerous. The occurrence of these oscillations in the field needs to be verified and appropriately recognised.

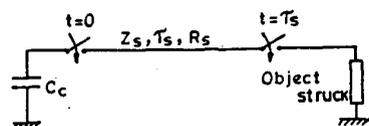
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C_c = Cloud capacitance, R_s = Arc resistance
 Z_s = Stroke channel surge impedance
 T_s = Travel time along stroke.

Fig 1 : Equivalent Circuit for a Lightning stroke.

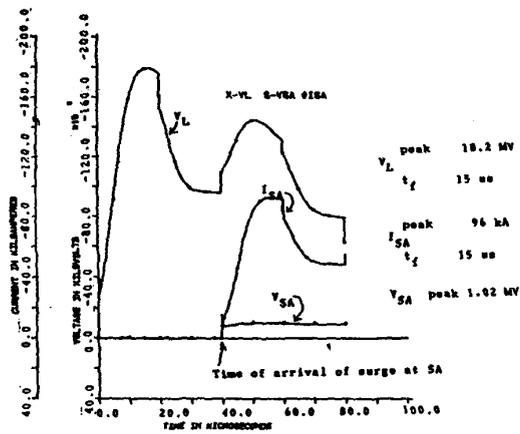


Fig 2 : Distant Stroke to Phase conductor terminated in an Arrester for $V = 100$ MV and $C = 0.2\mu F$.

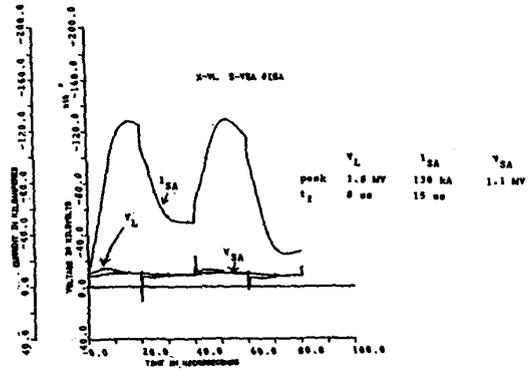


Fig 3 : Closeby Stroke to phase conductor terminated in an arrester for $V = 100$ MV and $C = 0.2\mu F$.

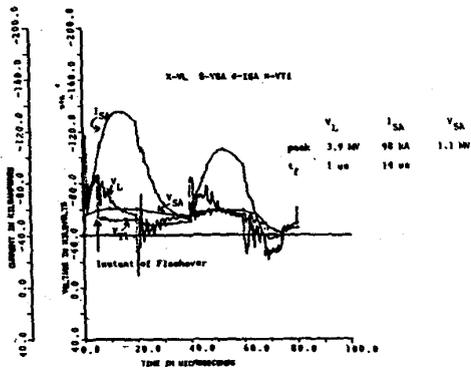


Fig 4 : Closeby Stroke to phase conductor terminated in an arrester for $V = 100$ MV and $C = 0.2\mu F$. Considering insulation flashover.

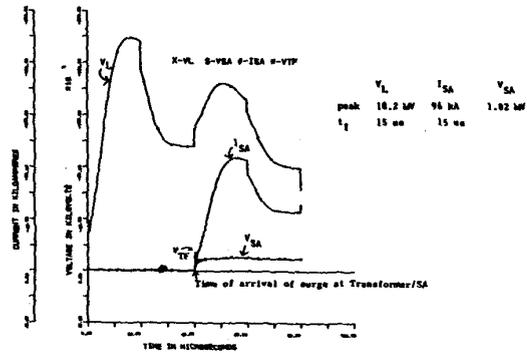


Fig 5 : Distant Stroke to phase conductor terminated in an unloaded transformer for $V = 100$ MV and $C = 0.2\mu F$.