

COMPUTATION OF EMI FIELDS GENERATED DUE TO CORONA ON HIGH VOLTAGE OVER HEAD POWER TRANSMISSION LINES

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ABSTRACT - Corona generated pulsed currents on high voltage transmission line conductors radiate electromagnetic field, which in turn can interfere with communication systems, radio as well as television receivers operating nearby. In this paper, corona generated electromagnetic interference (EMI) field in dB at an observation point near the ground has been computed assuming ground as a perfect conductor. It has been observed that the interference field starts abruptly at the corona inception voltage and it increases with the voltage stress on the conductor. It is also observed that the EMI field reduces with increase in lateral distance and also with increase in frequency as well as the conductor diameters for the same line voltage.

1. Introduction

EMI field or radio noise field from high-voltage transmission lines are caused by corona, which is essentially due to the electrical breakdown of the air surrounding the conductors at higher voltage. When the conductor surface electric field exceeds the corona onset electric field, a partial electrical breakdown occurs in the surrounding air medium near the conductor surface and is called the corona discharge. The increase of conductor surface gradient takes place with increase of supply voltage. In addition, organic contamination or attachment of water droplets also may contribute to localized field enhancement. When organic particles or water droplets are attached to the conductor surface, the charge accumulation at that point increases which enhances the local electric field. The intensification of surface gradient locally leads to the corona discharge.

The streamer generated during corona discharge, transports electric charge into the surrounding air during the discharge cycle. These moving charges contribute directly to the noise fields. They also cause currents to be induced on the transmission line conductors. Since the charge is moved by a time varying electric field, it is equivalent to a current pulse and this current pulse is the source of EMI field.

When a communication line passes near the corridor of a HV or EHV transmission line, if the frequency of the radiated EM signal due to corona matches with that of the transmitted signal on the communication line, then the communication signal may

get distorted. To mitigate this effect, the communication line should pass at a safe distance away from the transmission line. Hence there is a need to estimate the radiated EMI signal in dB at a given distance from the HV or EHV transmission line.

In this paper, radiated EMI in dB is computed for a single conductor high voltage over headline. This theoretical result is compared with the published experimental results available in the literature. In the computational work, earth is considered as an infinitely conducting ground.

2. Physical description of corona and EMI

When alternating supply voltage energizes the conductor, the conductor surface electric field exceeds the corona onset electric field of the conductor. The corona discharge occurs in both positive and negative half cycle. So the corona is divided into positive and negative corona depending upon the polarity of the supply voltage.

When the conductor is positive with respect to ground, an electron avalanche moves rapidly into the conductor leaving the heavy positive-ion charge cloud close to conductor, which drifts away. The rapid movements of electrons and motion of positive ions gives the steep front of the pulse, while the further drift of positive ions will give slow tail of the corona pulse.

When conductor is negative with respect to the ground, an electron avalanche moves away from the energized conductor and the positive heavy ions move towards the conductor. Since the heavy positive ions are moving towards the higher electric field, their motion is very rapid which gives rise to a much sharper pulse than the positive pulse. Due to rapid moment of the electrons from the conductor surface, the electric field regains its original value at conductor surface very quickly than in the case of positive polarity. Thus the negative corona pulses are lower in amplitude and lower in rise and fall times as compared to positive corona pulses. They have also higher repetition rates than the positive pulse. These characteristics are listed in table 1.

The corona current pulses thus generated can be represented by a double exponential current waveform which is given as follows

$$i(t) = K i_p (e^{-\alpha t} - e^{-\beta t}), t \geq 0 \quad (1)$$

where i_p is the amplitude of corona current in mA and

Polarity	Amplitude of the typical corona current pulse(mA)	Rise time (ns)	Duration (ns)	Repetition rate (pulse/sec)
+ve	10– 50	50	250	1000–5000
-ve	1– 10	10	100	10000–50000

K, α and β are constants

The rise time and fall time of the current pulse depends on α and β values respectively.

These constants for positive and negative corona are shown in equations 2 and 3 respectively [1].

The positive corona current can be represented as

$$i(t) = 2.335.i_p.(e^{-0.01t} - e^{-0.034t}) \quad (2)$$

and the negative corona current can be represented as

$$i(t) = 1.33i_p.(e^{-0.019t} - e^{-0.285t}) \quad (3)$$

The frequency domain representation of the current pulse given by equation (1) is as follows

$$I(s) = \frac{K.i_p.(\beta - \alpha)}{(s + \alpha)(s + \beta)} \quad (4)$$

$$\text{and } I(j\omega) = \frac{K.i_p.(\beta - \alpha)}{j\omega \sqrt{\alpha^2 + \omega^2} \sqrt{\beta^2 + \omega^2}} \quad (5)$$

The positive and negative corona current pulse waveforms in time and frequency domain are shown in figures 1 and 2 respectively. In these waveforms i_p is taken as 20 mA and 5 mA for positive and negative corona currents respectively.

The critical frequencies of interest are given by

$$f_\alpha = \frac{\alpha}{2\pi} \text{ and } f_\beta = \frac{\beta}{2\pi} \quad (6)$$

In case of positive corona,

$$f_\alpha = 1.59 \text{ MHz and } f_\beta = 5.49 \text{ MHz}$$

for negative corona,

$$f_\alpha = 3.02 \text{ MHz and } f_\beta = 45.36 \text{ MHz}$$

Since the AM broadcast frequency band is in the range of 1.6 MHz and this matches with the frequency of positive corona pulse, positive corona is considered to be a major source of EMI for radio transmission.

3. Method of calculation

Figure 3 shows the configuration of high voltage transmission line used in the study. A conductor at a height h (along the Y- axis) and radius a is assumed to be stressed with a voltage V at power frequency. The

observation point P is assumed to be at a distance d meters along the x-axis. The earth is assumed to be perfectly conducting and hence to estimate the field at

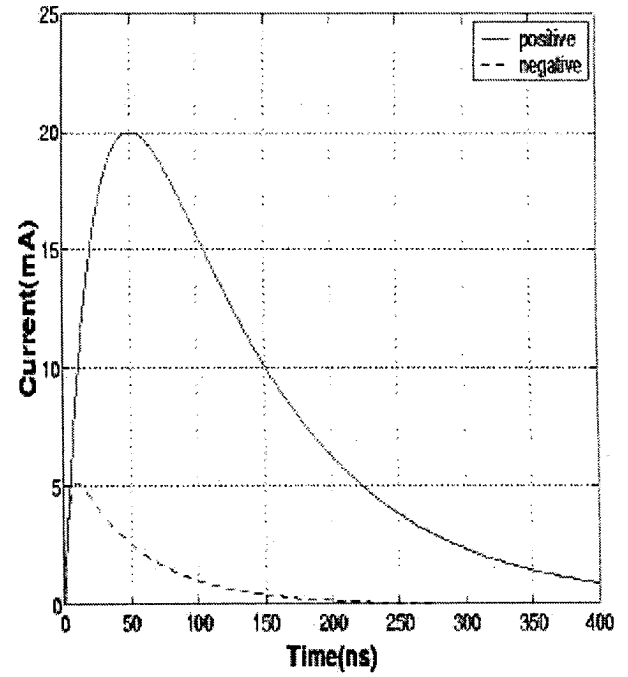


Fig.1: Time domain representation of corona current pulses

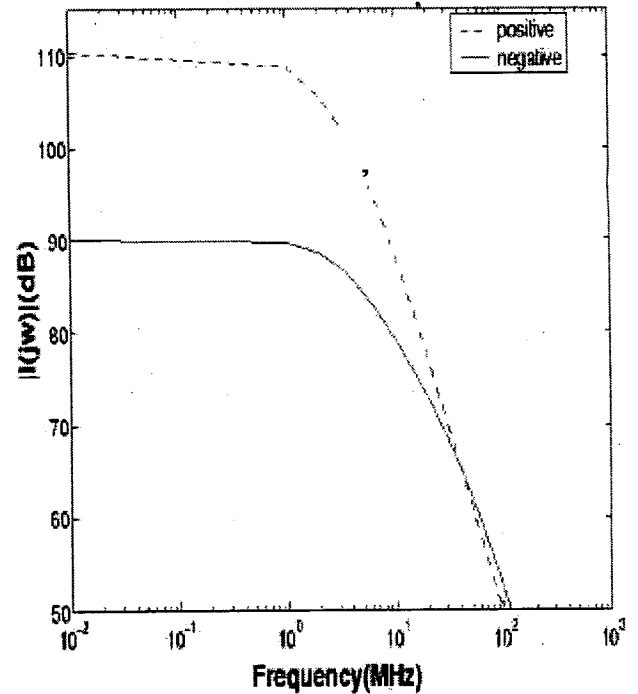


Fig.2: Frequency spectra of corona current pulses

point P, the contribution of the image conductor is also to be considered. The infinite conductor is parallel to the z-axis. The electric field E at the surface of the conductor is given by

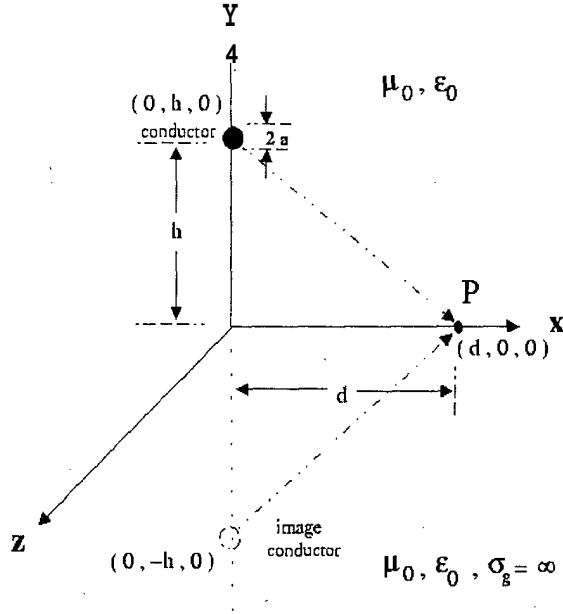


Fig.3: Location of the HV conductor used in the computation of EMI field

$$E = \frac{V}{a \ln\left(\frac{2h}{a}\right)} \quad (7)$$

When the surface gradient due to supply voltage exceeds the onset electric field of the conductor, the corona discharge occurs in the vicinity of the conductor.

The corona onset field E_c in kV/cm is given by the well-known Peek's formula [2] which is given as follows

$$E_c = 21.1m\delta \left(1 + \frac{0.301}{\sqrt{a\delta}}\right) \quad (8)$$

where a is conductor radius in cm and m is conductor surface irregularity factor which is 1 for ideally smooth and clean conductors and it varies between 0.75 and 0.85 for stranded conductors.

δ is relative air density factor and is given by [3]

$$\delta = \left(\frac{273+t_0}{273+t}\right) \left(\frac{p}{p_0}\right) \quad (9)$$

where p_0 and t_0 are standard atmospheric pressure and temperature. p and t are the ambient pressure and temperature for test condition.

The corona current J is given by the equation

$$J = q\mu(E)^2 \quad (10)$$

where q is charge of electron in coulomb and μ in $cm^2/V-s$ is mobility of the electron in free space.

The equivalent circuit of an elemental length of overhead HV line with uniform corona current

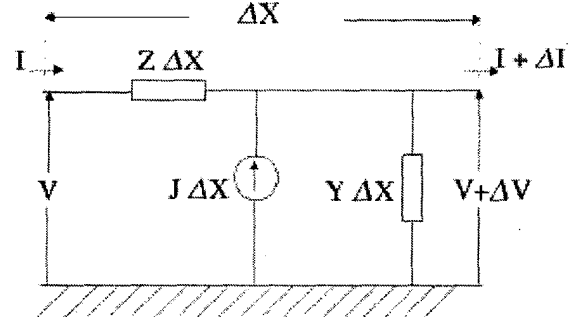


Fig.4: Equivalent circuit for an elemental length of the overhead HV line

injection of $J A/\sqrt{m}$ per unit length is shown in figure 4. The following differential equations describe the current voltage relations of the overhead line. Since the corona current injection is in the form of pulse trains, J , and therefore V and I are rms values at a given frequency.

$$\frac{dV}{dx} = -ZI \quad (11)$$

$$\frac{dI}{dx} = -YV + J \quad (12)$$

The parameters Z and Y are the series impedance and shunt admittance respectively per unit length of the line at same the frequency.

When this corona current J is injected at a particular point on the transmission line, the current is equally divided and propagates in the both directions. Therefore, the corona induced current I is given by

$$I = \frac{J}{2\sqrt{YZ}} \quad (13)$$

where

Y = admittance of the over head transmission line

Z = impedance of the over head transmission line

The magnetic field H_x at point P due to the conductor and its image is

$$H_x = \frac{Ih}{\pi(d^2 + h^2)} \quad (14)$$

The radiated electric field E_y at point P is given by

$$E_y = Z_0 H_x \quad (15)$$

where Z_0 is the wave impedance in free space and is

$$\text{given by } Z_0 = \sqrt{\frac{\mu_0}{\epsilon_0}}$$

$$\text{Hence } E_y = 120\pi H_x \quad (16)$$

The EMI field in dB with reference to $1\mu\text{V/m}$ is given

$$\text{by } E_y = 20\log_{10} \left[\frac{E_y (\mu\text{V/m})}{1(\mu\text{V/m})} \right] \quad (17)$$

4.0. Results and Discussions

A conductor at a height of 15 m above the ground and diameter of 3 cm has been chosen for the study. The point of interest is located on ground at a distance of 15 m laterally from the conductor. The conductor voltage has been varied from 290 kV to 590 kV and EMI field, computed. The results are presented in the following sections.

4.1. Variation of EMI field with conductor voltage:

When the supply voltage exceeds the corona inception voltage of the conductor, the EMI field increases rapidly with the voltage. Figure 5 shows the variation of EMI

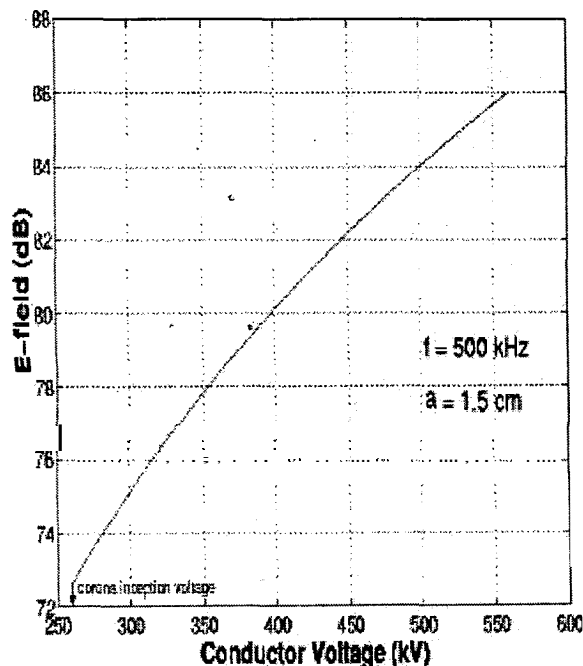


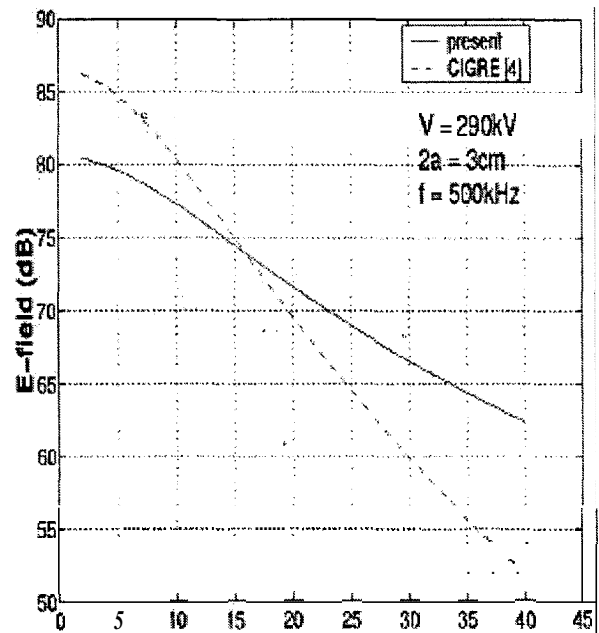
Fig.5: EMI field variation with conductor voltage

field in dB with the conductor voltage.

4.2. Variation of EMI field with lateral distance:

The lateral profile describes how the noise level falls off with increasing distance from the line. When the distance from the conductor increases laterally the EMI field

decreases rapidly as shown in figure 6. The difference of noise level of present result and CIGRE result is almost 4.8 dB at 5 m and 10.1 dB at 40 m lateral distances where as the noise level of both are 74 dB at 16 m distance. This variation could be due to the approximate formula used in the CIGRE work.



4.3. Variation of EMI field with conductor height

Figure 7 shows the variation of EMI fields for conductor heights of 15 m, 17.5 m and 20 m. In general, as the height increases, the EMI level decreases. But after a certain lateral distance, the difference in EMI level for different heights shows a reverse trend.

4.4. Variation of EMI field with frequency.

Most of the measurements in general are made at one frequency as it is too difficult to measure at all the frequencies. At site 0.2 MHz and in the laboratory 0.5 or 1 MHz frequencies are used for the measurement of EMI. Computation (figure 8) shows that the EMI (in dB) from the conductor decreases with increase in frequency.

4.5. Variation of EMI field with conductor diameter

When conductor diameter increases, the EMI field decreases with lateral distance. Figure 9 illustrates the EMI (dB) variation with lateral distance for different diameters of the conductor.

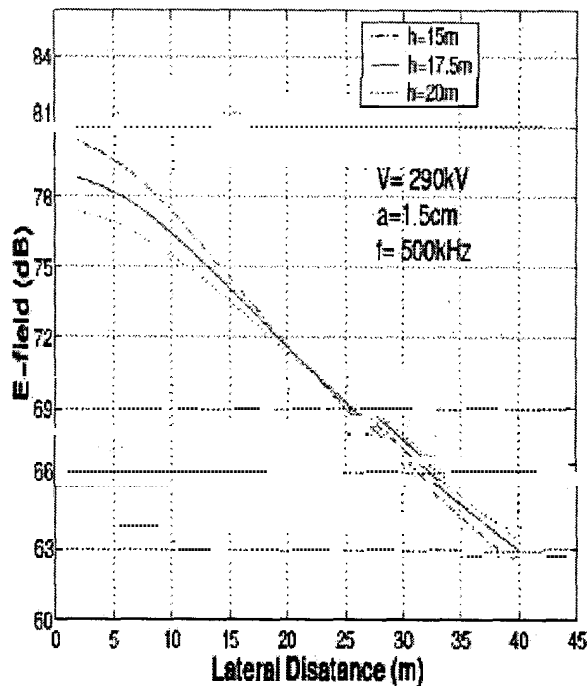


Fig.7: EMI field variation with height of the conductor

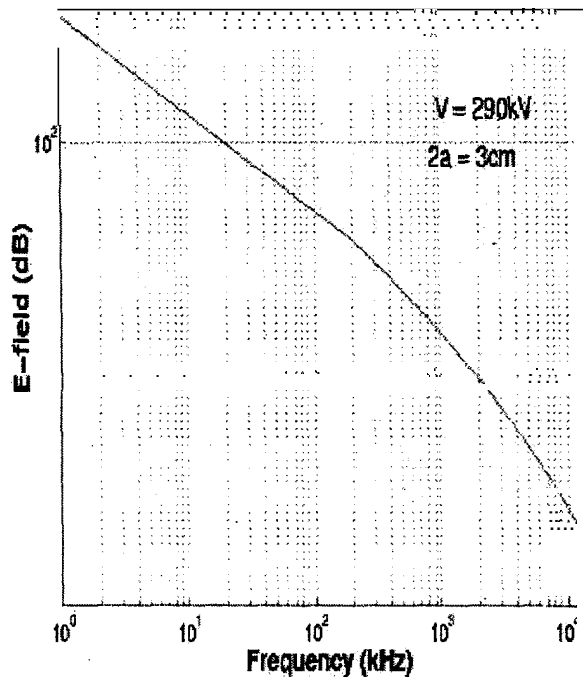


Fig.8: EMI field variation with frequency

5. Conclusion:

EMI field due to corona generated pulse current has been computed for different conductor voltages, lateral observation points, height of the conductor above ground

as well as conductor diameters. It has been observed that the EMI field abruptly starts at the corona inception voltage and increases with the voltage stress on the conductor and decreases with lateral distance. The EMI field in general decreases with conductor height, frequency and diameter

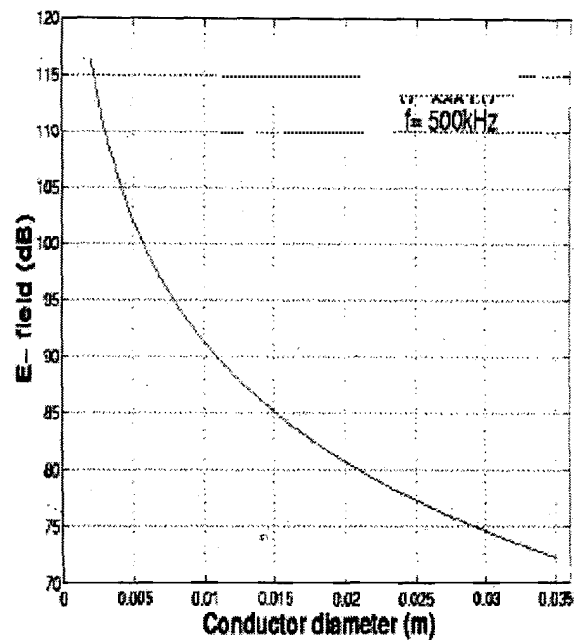


Fig.9: EMI field variation with conductor diameter

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