### BINDING IN SINGLET- AND TRIPLET-STATE EXCIMERS

## II. Role of Subjacent Orbital Interactions\*

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### ABSTRACT

Theoretical studies on excimers have invariably been restricted to treating excimers as a four-electron problem and are unsatisfactory both with respect to accounting spectral characteristics, and geometry of snglet/triplet excimer. In a previous paper [Mol. Phys. 30, 319 (1975)], we have studied the possible geometries of singlet/triplet excimer, based on the 4-electron problem and concluded that the perfect sandwich structure is the most stable conformation for an excimer. In the present work, an excimer is treated as an 4n-electron problem (n = 2, 3) and the results for naphthalene and anthracene systems indicate that singlet and triplet excimers can have different geometries. The role of subjacent orbital is also discussed.

#### 1. Introduction

A<sup>N</sup> excimer is a dimer, which is associated in an excited electronic state, and dissociative (i.e., would dissociate in absence of external restraints) in its electronic ground state<sup>1</sup>. Collisional interaction between a singlet/triplet excited atom/molecule (1'3M)\*) and an unexcited atom/molecule (1.3M).

 $^{1,3}M^* + ^{1,3}M \rightleftharpoons ^{1}{}^{3}D^*$ 

may yield a singlet/triplet excimer. While much experimental data are available<sup>1-3</sup>, a satisfacaccount for to characteristics, differences in stability and geometry of singlet/triplet excimer is lacking. studies have invariably been restricted to treating an excimer as a 4-electron problem<sup>4-8</sup>. In this work, we report the preliminary results of our efforts to extend 4-electron model to a 4n-electron model (n = 2, 3), which takes into account not only the highest occupied (HOMO) and lowest unoccupied molecular orbitals (LUMO) of each monomer, but also the next highest (occupied) and lower (unoccupied) molecular orbitals—the subjacent orbitals of each monomer. The importance of inclusion of subjacent orbitals has been shown by Berson and Salem9, in their work on forbidden reactions, in Woodward-Hoffman's sense.

## 2. Method

We use the super-molecular-orbital theory<sup>8</sup>, and the method is similar to our earlier work<sup>10</sup> (appendix, for some details on evaluation of integrals).

### 3. RESULTS AND DISCUSSION

In Fig. 1 is shown the dimer orbitals (in super-molecular-orbital approach) for naphthalene and

anthracene excimer, in the 4n-electron model, where dimer orbital 2k and 2k-1 belong to k<sup>th</sup> parentage (of monomer). As regards geometry, we consider two cases:

- (i) a perfect sandwich structure  $(D_{2h}$  symmetry).
- (ii) a 'tilted' structure in which long axes of the molecules are parallel and short axes make an angle 'α'.

$$SJ_{2} - \frac{8}{7}$$

$$SJ_{3,4} = \begin{bmatrix} 12 \\ -11 \\ -10 \\ 9 \end{bmatrix}$$

$$Vacant$$

$$LUMO - \begin{bmatrix} 8 \\ 5 \\ -11 \end{bmatrix}$$

$$HOMO - \begin{bmatrix} -6 \\ -12 \\ -11 \end{bmatrix}$$

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Fig. 1. Numbering (and parentage from monomer) of MO's in excimer of naphthalene and anthracene (schematic).

Note: 2kth and (2k-1)th dimer orbitals belongs to kth parentage (of monomer).

Primary motivation in considering these two types only is that, our previous experience suggests that rotated sandwich structure is less stable when compared to sandwich structure. Moreover, Ferguson et al. have clearly ruled out the possi-

<sup>\*</sup> Presented in part, at the Seminar on 'Molecular Interactions', Department of Chemistry, Sri Venkateswara University, Tirupati 517502 (A.P.), February 19-21 (1977).

bility of a rotated structure. Further, we wish to study theoretically, the possibility of singlet and triplet excimers having different structures. It is increasingly felt<sup>12,13</sup> that singlet and triplet excimer may have different steric configurations.

# 3.1. Role of Subjacent Orbitals

In Table I are given the coefficients for the various configurations [after configuration interaction (CI)] for the lowest excited state, in naphthalene excimer. It is clear that for the singlet state, the subjacent orbitals interaction is important, while for the triplet states, the HOMO/LUMO interaction is important. In Table II is shown the non-zero (and > 0.1) coefficient of the various configurations (after CI) for the lowest excited state of anthracene excimer. It is obvious from a close analysis of the data that in the case of singlet state, HOMO/ LUMO interaction is predominant, while for the triplet states, there is some contribution from subjacent orbitals [i.e., transition from HOMO (and subjacent occupied MO) to vacant subjacent orbital]. We feel that in higher polyacenes excimers, say, pyrene, perylene, etc.; the 4-electron model may be sufficient for describing singlet excimers, while

transitions from/to subjacent orbitals are important for describing triplet excimers.

## 3.2. Stability of Singlet | Triplet Excimer

Of the several low lying excimer states, we shall be concerned with only the lowest state,  $\sigma$ -state, the emitting state of excimer. To examine the stability of  $\sigma$ -state (singlet/triplet) of an excimer with respect to dissociation into a monomer ground and a monomer singlet/triplet states, we need to examine the differences between the energy.  $E_{1,3\sigma}$  of the singlet/triplet  $\sigma$ -state of an excimer and the sum of  $E_{1,3\rho}$ , the energy of the singlet/triplet  $\rho$ -state and  $E_{\rm M}$ —the energy of ground state of the monomer. The interaction energy is given by

$$E_{1,3\sigma} - E_{1,3\rho} - E_{M} = {}^{1,3}\triangle E + y$$
 (1)

$$^{1,3}\triangle E = E(^{1,3}\sigma) - E(^{1,3}p)$$
 (2)

and  $E(1,3\sigma)$  and E(1,3p) are the energies of singlet/triplet excimer  $\sigma$ , and the monomer p bands respectively. Both  $1.3\Delta E$  and 'y' are functions of the structural parameters in the dimer structure. In Table III is shown the binding energy of an excimer both in tilted and sandwich conformation.

Table I

Coefficients of the various configurations, in the lowest excited state of naphthalene excimer. Pivotal distance  $D=3\cdot5$  Å

Tilt	tangle a	$(m, n) 4, 5^*$	4,7	3,6	3,8	2,5	2,7	1,6	1,8
0°	Singlet	0·0	-0·2940	0·0	-0·3803	0·4764	0·00	0·7362	0·0
	Triplet	0·6061	0·0	0·7836	0·0	0·0	0·0884	0·0	0·1041
40°	Singlet Triplet	0·0 0·6671	$-0.3702 \\ 0.0$	0·0 0·7321	$-0.4035 \\ 0.0$	0·5643 0·0	0·0 0·0961	0·6178 0·0	0·0 0·0989
70°	Singlet	0·0	-0·3983	0·0	-0·4197	0·5643	0·0	0·5888	0·0
	Triplet	0·6786	0·0	0·7214	0·0	0·0	0·0972	0·0	0·0981

<sup>\*</sup> (m, n) indicates transition from  $m^{th}$  occupied dimer orbital to  $n^{th}$  vacant orbital. Similar is the behaviour for all D's and tilt angles.

Table II

Coefficients of the various configurations, in the lowest excited state of anthracene excimer, for privotal distance  $D=3\cdot 2$  Å

Tilt	angle (°)	$(m, n) 6, 7^a$	5,8	4,9	3, 10 <sup>8</sup>	
0	Singlet Triplet	0·269 0·506	0·955 0·816	0·0 0·158	0·00 0·215	**************************************
45	Singlet Triplet	0·522 0·619	0·837 0·732	0·0 0·183	$\begin{array}{c} 0 \cdot 0 \\ 0 \cdot 202 \end{array}$	
9ს	Singlet Triplet	0·620 0·651	0·764 0·703	0·0 0·189	0·0 0·198	

 $<sup>\</sup>frac{a}{n}$  (m, n) indicates the transition from  $m^{th}$  occupied dimer orbital to  $n^{th}$  vacant orbital.

<sup>&</sup>lt;sup>b</sup> Only those configurations for which the coefficients are at least 0·1 are included in this table. Similar behaviour is noticed for other distances and tilt angles

Table III

Binding energies in naphthalene excimer (in eV)

		Tilted conf	ormation					
Tilt		Pivotal dista	arce D (Å)		Pivotal distance	Sandwich conformation (zero tilt angle)		
angle α(²)	3.	2	3.5		D (Å)	Singlet	Triplet	
	Singlet	Triplet	Singlet	Triplet		Singlet	Tiplet	
0	0 401	- 0·571		- 1·054	3.3	-0.5483	- 0.851	
10	— J∙622	-0.564	-0.745	-1.123	3 • 4	-0.6451	-0.973	
20	-0.654	-1.038	-0.724	-1.121	3.5	-0.7067	1 · 054	
30	- 0.649	-1.057	-0.699	-1.109	4.6	0.7432	-1.104	
40	0 · 639	-1.064	− 0.677	-1.098	3 · 7	-0.7626	-1.134	
50	-0.625	-1.060	-0.658	-1.088	3.8	0 • 7702	-1.149	
60	-0.605	-1.048	-0.630	-1.076	3.9	-0.7703	-1.155	
70	0 • 573	-1.022	<b> 0 · 618</b>	1·C61	4.0	-0.7655	-1.154	
80	-0.521	-0.975		• •	4.1	- 0.7580	-1.150	
90	-0.447	- 0 903		• •				

Table IV

Binding energies in anthracene excimer (in eV)

D: (1	•	Tilted con	formation		<b>73.</b>			
Pivetal distance D (Å)	3.2		3 · 5		Pivotal distance	Sandwich conformation		
Tilt angle	Singlet	Triplet	Singlet	Triplet	D(Å)	Singlet	Triplet	
0 -	-0.0930	-0.3459	-0.4897	0.9087	3.2	-0.0930	<b>-</b> 0⋅346	
10	-0.4490	-0.7780	- 0.6085	<b>−</b> 1·0285	3.4	-0.418	- 0.792	
20°	-0.4407	-0.8817	<i>-</i> 0·5614	-1.0114	3.5	0.490	-0.509	
30°	-0.4321	<i>−</i> 0·9051	- 0.4930	<i>−</i> 0·9770	3 6	-0.526	0.981	
40	-0.4150	<i>−</i> 0·9090	-0.4395	<i>−</i> 0·9505	3.7	-0.539	- 1.022	
50°	0-3928	-0.9018	-0.3918	<b>-0</b> ⋅9228	3.8	-0.538	- J 043	
60°	-0.3558	-0.8817	-0.3635	-0.9125	3.9	-0.527	- 1·047	
70°	-0.3043	- 0.8363	-0.3374	-0.9074	4.0	- 0· 512	1.045	
80°	-0.2224	- 0.7624	-0.2645	-0.8575	. 0	ش12 0	1.042	
90°	-0.1055	0.6525	+0.0390	-0.8110				

for different values of pivotal distances for naphthalene excimer. An examination of the data reveals that at lower values of 'D' it is the 'tilted' conformation that is stable while at larger values of 'D' (> 3.5 A) it is the sandwich form that is stable. Similar results have been obtained for anthracene excimer also (Table IV). Further, for any given value of D (and a) triplet excimer is more stable than the singlet excimer. This result contradicts the experimental data<sup>12</sup>. The possible reasons for this discrepancy is under investigation. In this context, it is interesting to note the observation of Schweitzer et al<sup>18</sup>, that the wavefunction

in a singlet excited state is more diffuse than the wavefunction for the corresponding triplet state, which is rather contracted towards the nuclei. This result together with the increasing feeling that one must use different parameters for singlet and triplet states19 may be a source for seeking an explanation for the observed differences in stability (and possibly structure) of singlet and triplet Another important factor, which has excimer. great influence on the calculations, is the choice of orbital exponent. In this and earlier works, a constant value of Z = 3.18 has been employed for all distances. Different sets of values for

different distances could be expected to interesting results.

## ACKNOWLEDGEMENTS

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#### APPENDIX

For the evaluation configuration interaction (CI) matrix elements, we follow the method of Pariser14. In the case of naphthalene excimer, the CI matrix is a 17 imes 17 determinant, while for anthracene excimer, it is  $37 \times 37$  (because we have a pair of degenerate subjacent orbitals in anthracene). The evaluation of the various inter- and intra-molecular integrals are as follows:

(b)	Azum	ni, T.	, Arr	nstrong	, A.	T.	and.	McGlynn	,
	S.	P., 1	bid	1964.	41.	38	39.		

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Integral	Over monomer	Intermolecular
Overlap	Parr and Crawford15	Parr and Crawford <sup>15</sup>
Coulomb/	Mataga and	Parr's multipole <sup>17</sup>
exchange	Nishimoto <sup>16</sup>	expansion
(with ZDO		-
approximation)		
core	НМО	
$H_{ij}$	$E_{i}$ $\delta_{ij}$	- 10·0 S <sub>ij</sub>

Rest of the calculation/procedure is identical with our earlier work<sup>10</sup>.

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# CHANGES IN SOLUBLE PROTEINS AND ISOENZYMES IN DEVELOPING SORGHUM GRAINS

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## ABSTRACT

Electrophoretic patterns of soluble proteins and isoenzymes of peroxidase and esterase showed qualitative and quantitative differences during grain development. The increase in the intensity of protein bands with low electrophoretic mobility at mature stage suggests synthesis of proteins with higher molecular weight.

### Introduction

**COLUBLE** proteins are the physiologically active fractions which constitute major bulk of enzymes involved in plant metabolism. Several workers have

observed marked qualitative and quantitative changes in soluble proteins and isoenzyme patterns during grain development of wheat1'2, maize3 and barley4. The specificity of enzyme pattern implies a role of